

Massive stars from various simulations: why so different?

Nagy tömegű csillagok 1D szimulálása: mi okozza a különbségeket a modellekben?

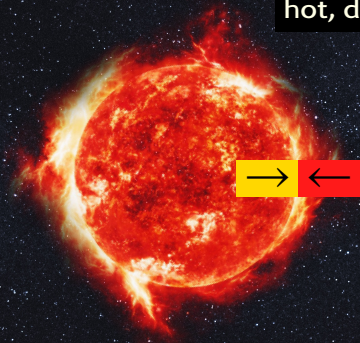
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NKE Budapest, 26. August 2021

What is a star?

hot, dense plazma



equilibrium:

pressure gradient

gravity

Theoretical modelling of the stellar structure

$$\frac{\partial r}{\partial m_r} = \frac{1}{4\pi r^2 \rho} \quad \text{eq. } \text{mass conservation} \quad (1)$$

$$\frac{\partial P}{\partial m_r} = -\frac{Gm_r}{4\pi r^4} \quad \text{momentum conservation} \quad (2)$$

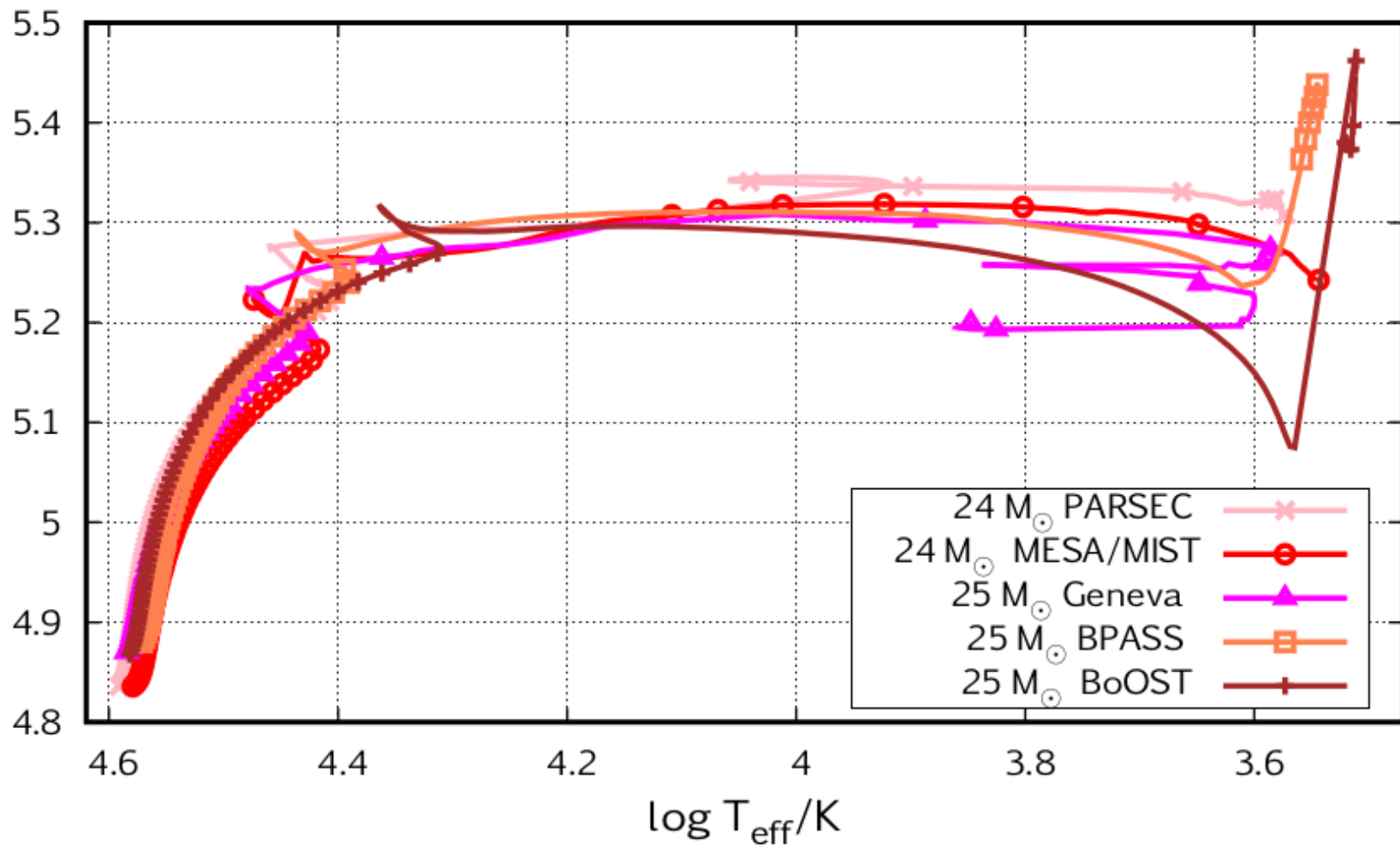
$$\frac{\partial L_r}{\partial m_r} = \epsilon_{\text{pl}} - T \frac{\partial S}{\partial t} \quad \text{energy conservation} \quad (3)$$

$$\frac{\partial T}{\partial m_r} = -\frac{Gm_r T}{4\pi r^4 P} \nabla \quad \text{transport of energy} \quad (4)$$

Guilera+ 11

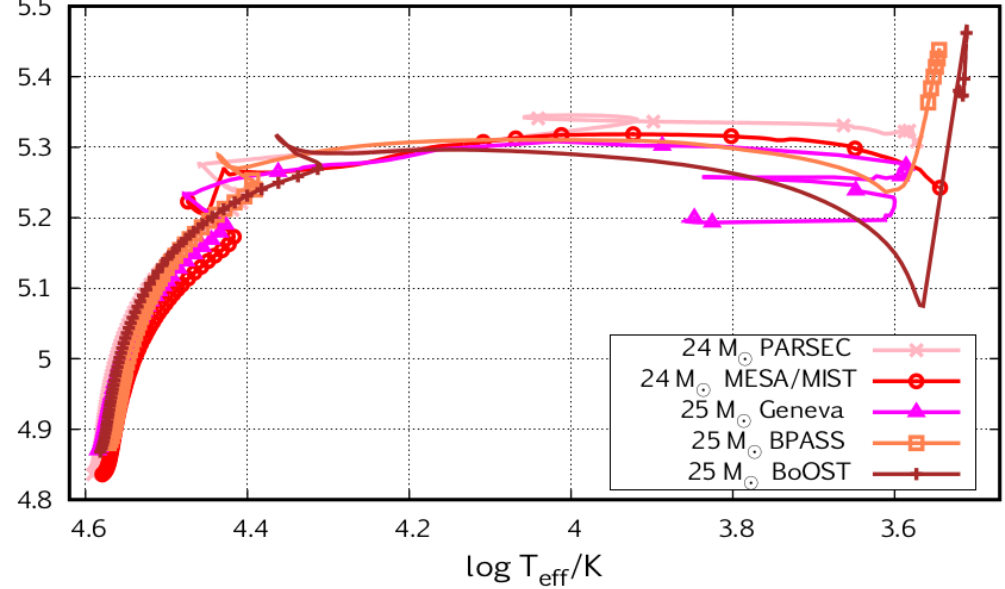
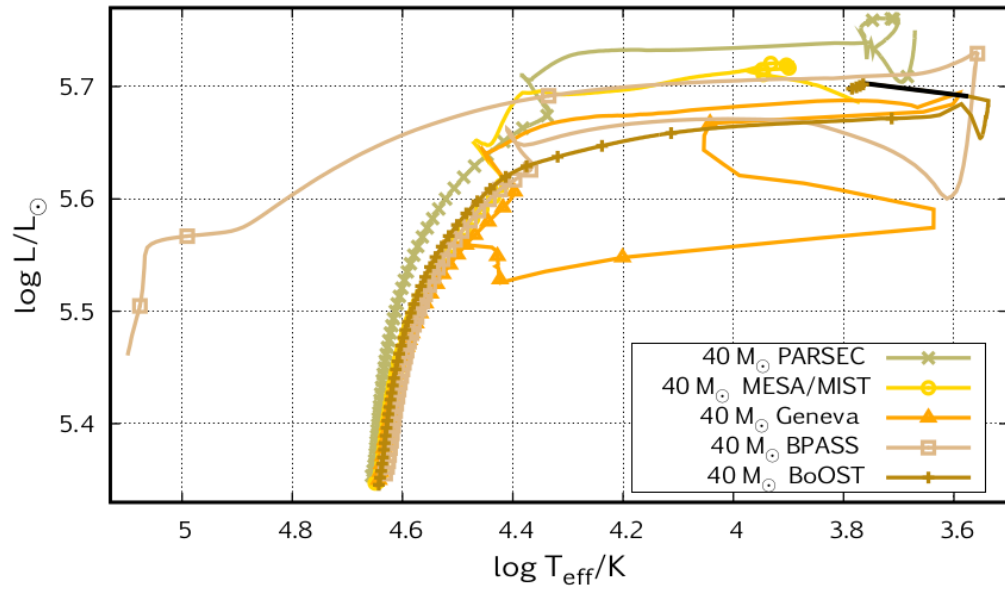
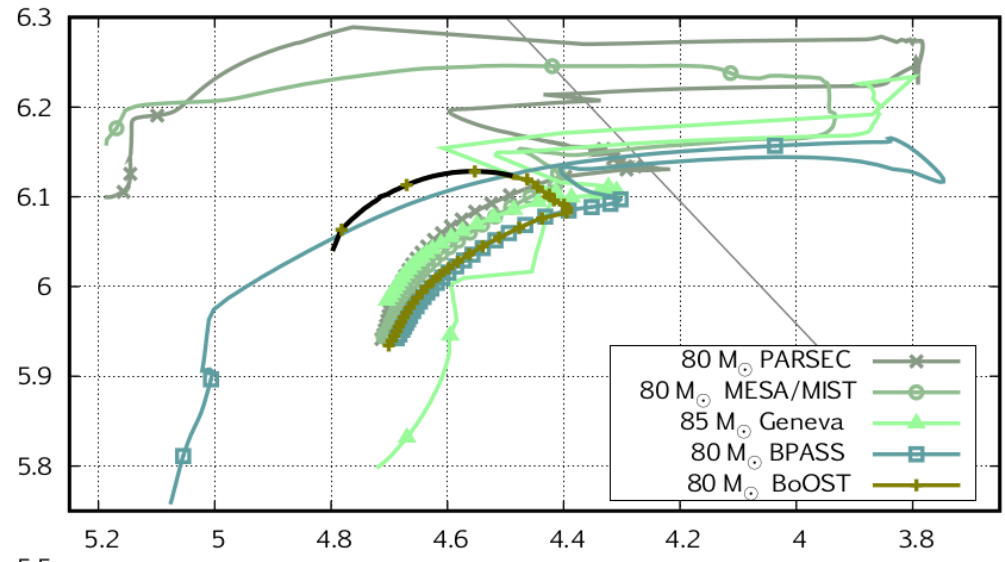
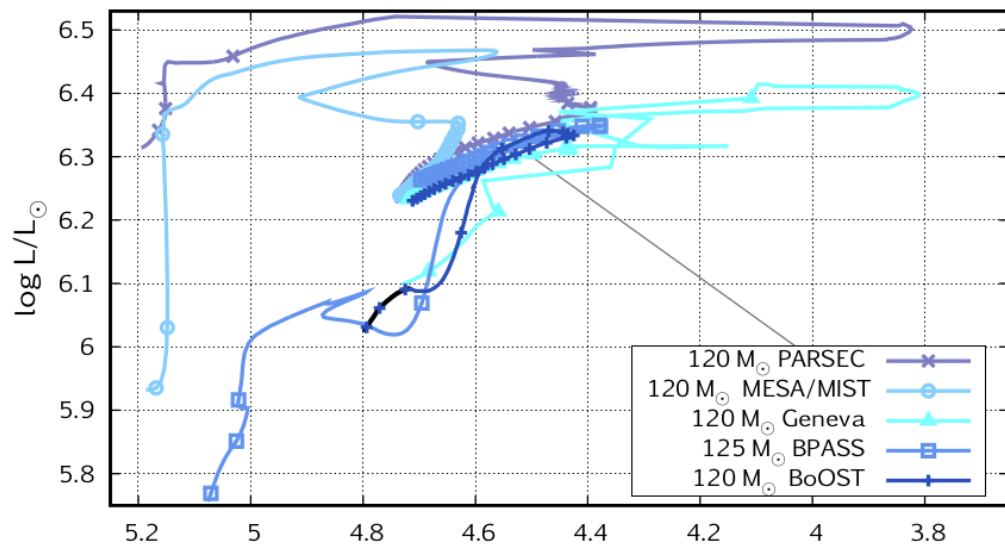
composition change due to nuclear burning:

$$\frac{\partial X_i}{\partial t} = \frac{A_i m_u}{\rho} (-\Sigma_{j,k} r_{i,j,k} + \Sigma_{k,l} r_{k,l,i}) \quad (5)$$



P. Agrawal (2021, *PhD thesis*)

Szécsi & Agrawal (2021, *in prep.*)



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When the equilibrium* is compromised:

the Eddington limit

* *between
gravity & radiation pressure*

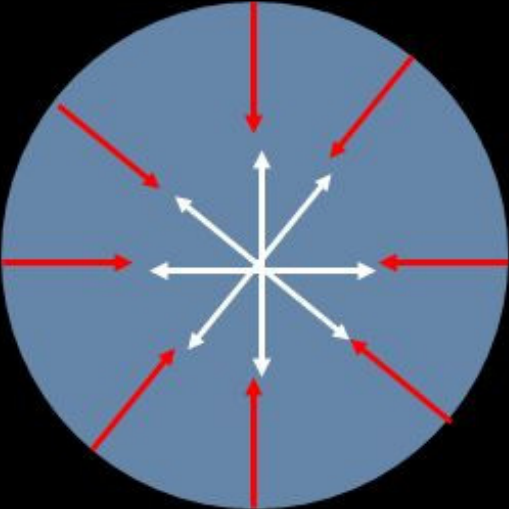
Other reasons for falling out of equilibrium:

- iron core
 - gravitational collapse & SN (due to bounce-back)
- pair-instability
 - grav. collapse & subsequent thermonuclear explosion (PISN) or pulsations (puls-PISN)
- end of a burning phase
 - restructuring, crossing the Herzprung-gap...
- ...

Eddington limit

Radiative Force

Gravitational Force

$$g_{rad} = \int_0^{\infty} d\nu \frac{\kappa_{\nu} F_{\nu}}{c}$$


$\frac{GM}{r^2}$

The diagram shows a blue circle representing a star. Red arrows point inward from the surface towards the center, representing radiative force. White arrows point outward from the center towards the surface, representing gravitational force.

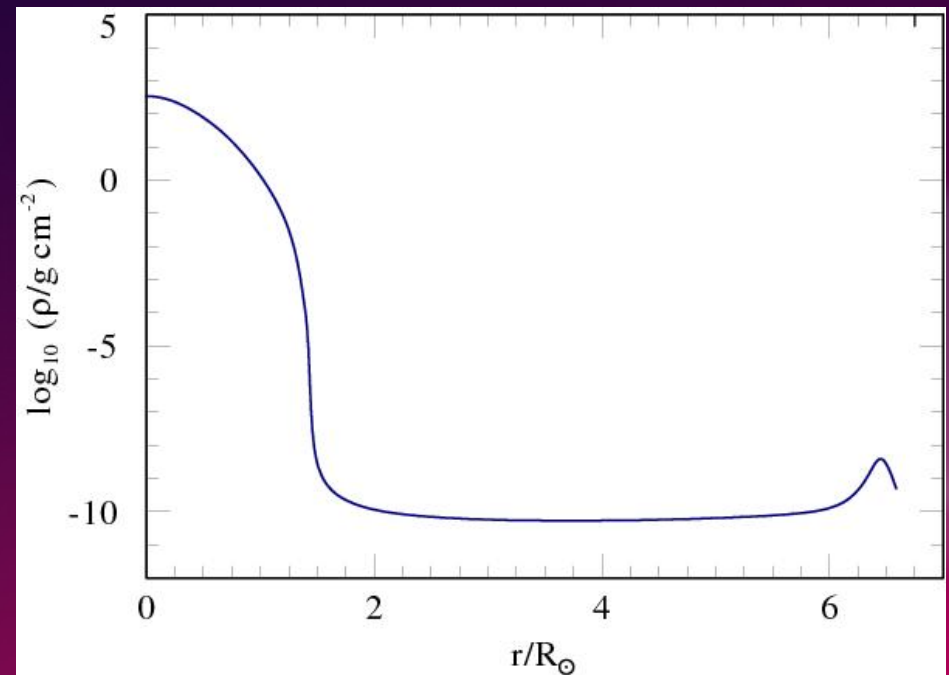
$$\Gamma_e \equiv \frac{g_e}{g} = \frac{\kappa_e L / 4\pi r^2 c}{GM / r^2} = \frac{\kappa_e L}{4\pi GMc}$$

Credit: Stan Owocki

Consequences for the stellar interior

- density (and pressure) inversion *in the envelope*
- no efficient energy transport mechanism here (weak convection)
- → envelope “inflation”
- numerical difficulties...

density inversion:

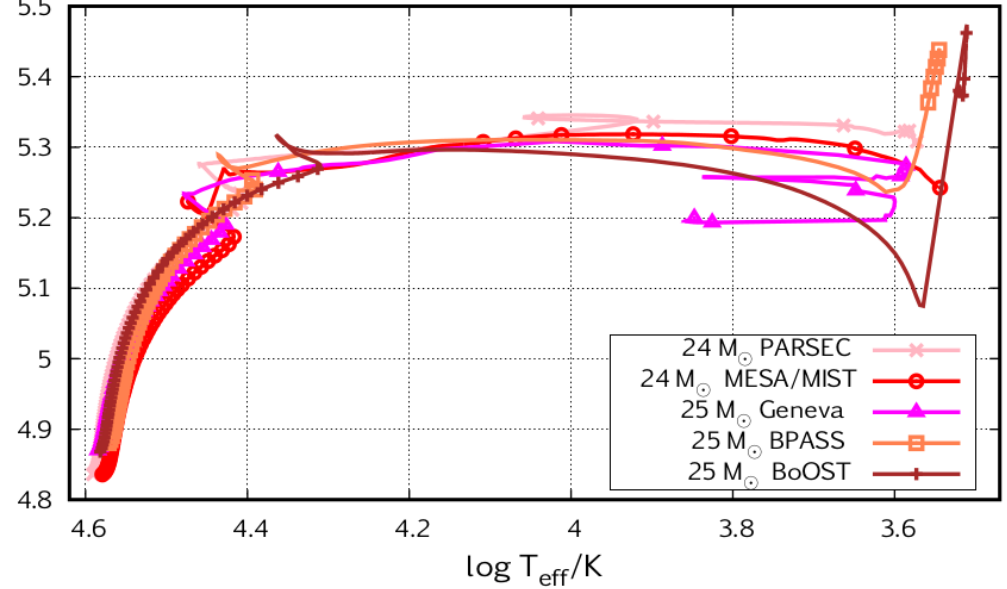
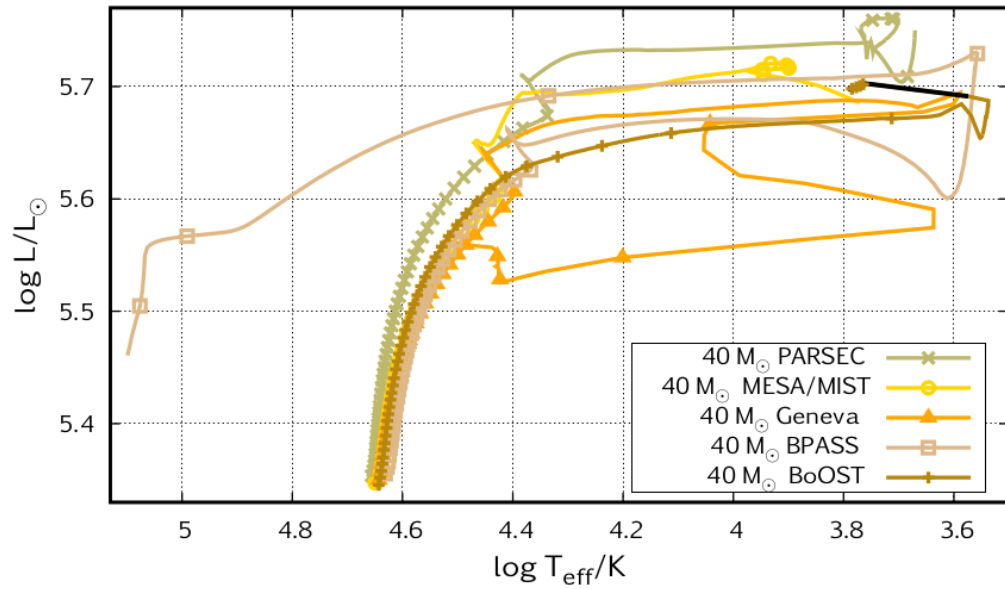
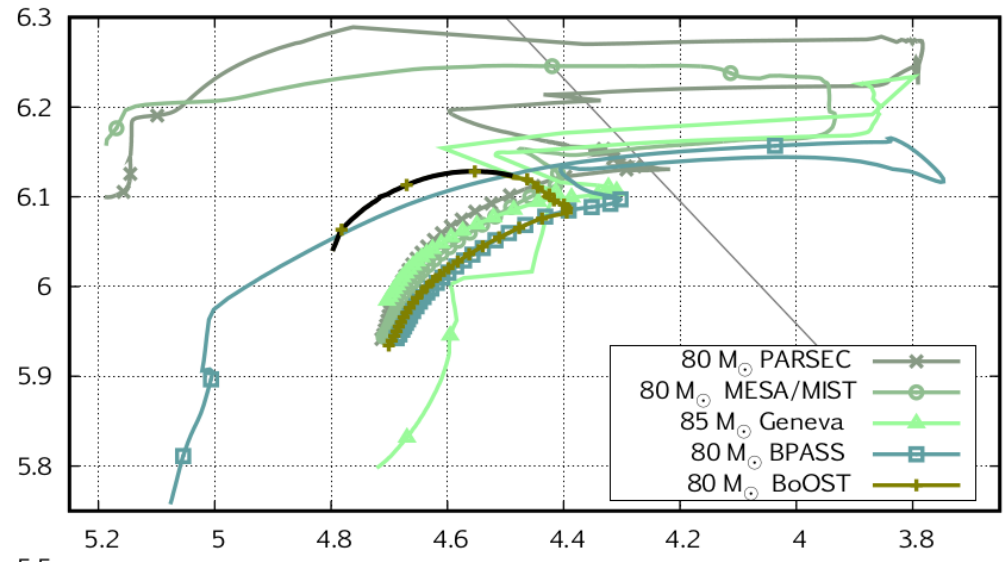
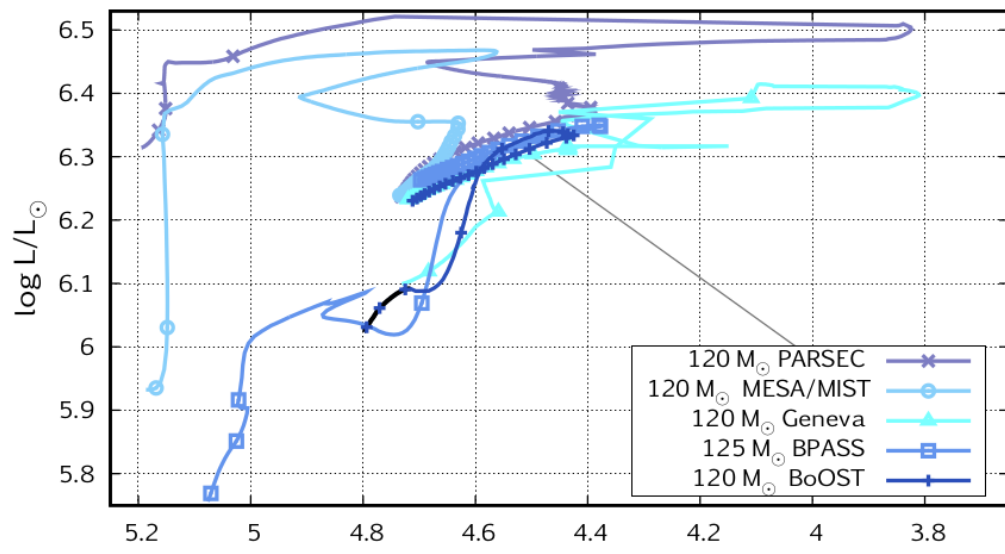


CORE

ENVELOPE

Is there a solution?

- several “tricks” in the literature
 - various codes use various tricks & methods
 - cf. Agrawal (*PhD Thesis*), Szécsi & Agrawal (‘21, *in prep.*)
- PARSEC (‘Padova’) artificially limiting the temp. gradient
- MIST (MESA) MLT++ formalism (*limiting the superadiabacity**)
=changing how convection** is treated *difference between the isothermal and adiabatic temperature gradient
- ‘Geneva’ } artificially enhanced mass loss at the right moment
- BPASS } **a type of internal mixing
- BoOST (‘Bonn’) inflated envelope & post-processing with ‘normal’ mass loss



P. Agrawal (2021, *PhD thesis*)
 Szécsi & Agrawal (2021, *in prep.*)

Ionizing flux...

Table 1. Ionizing photon number flux [s^{-1}] in the Lyman continuum emitted *on average* by the stellar models during their lives, cf. Sect. 2.3. The last column provides the amount of Lyman radiation (number of photons [s^{-1}]) that a $10^7 M_{\odot}$ population (e.g. a starburst galaxy or a young massive cluster in the Milky Way) containing these massive stars would emit.

$M_{\text{ini}} [M_{\odot}]$	24/25	40	80/85	120/125	pop.
PARSEC	3.7e48	1.3e49	5.5e49	1.0e50	1.08e54
MIST	3.3e48	1.5e49	5.1e49	1.1e50	1.06e54
Geneva	3.5e48	1.2e49	4.6e49	7.8e49	9.27e53
BPASS	3.6e48	1.3e49	4.5e49	7.7e49	9.34e53
BoOST	3.7e48	1.2e49	4.4e49	7.4e49	9.14e53

up to 15% difference!

P. Agrawal (2021, *PhD thesis*)
Szécsi & Agrawal (2021, *in prep.*)



Zwicky 18
Credit:
HST/NAASA/ESA

Gravitational waves: compact object mergers (e.g. black holes)

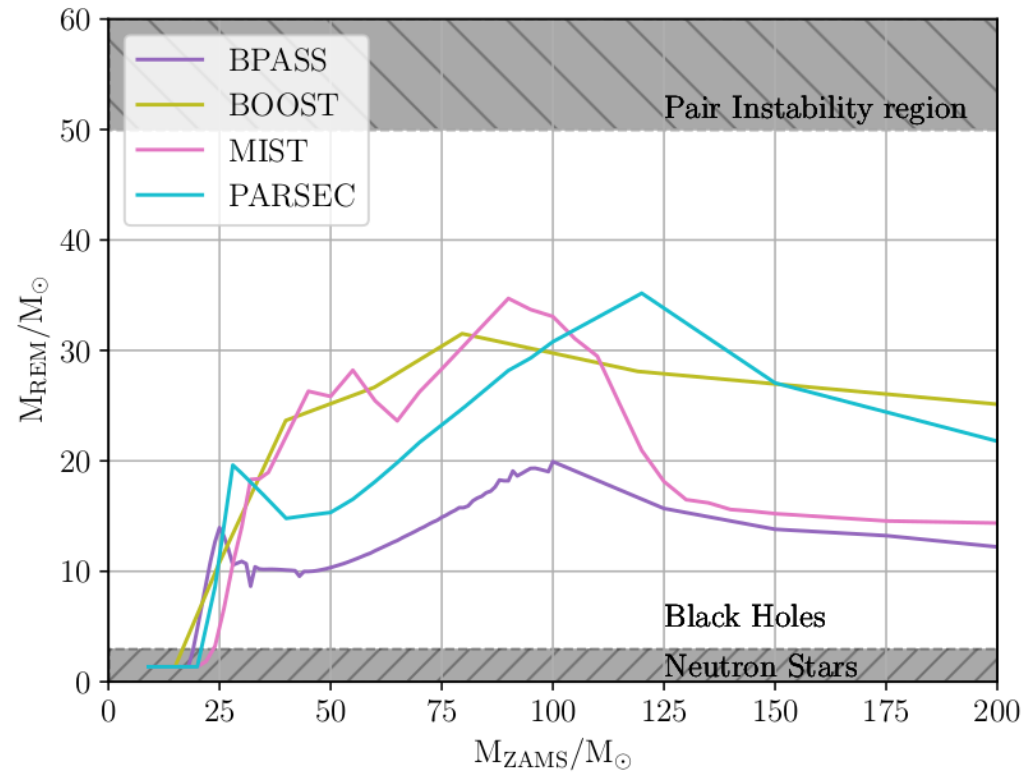
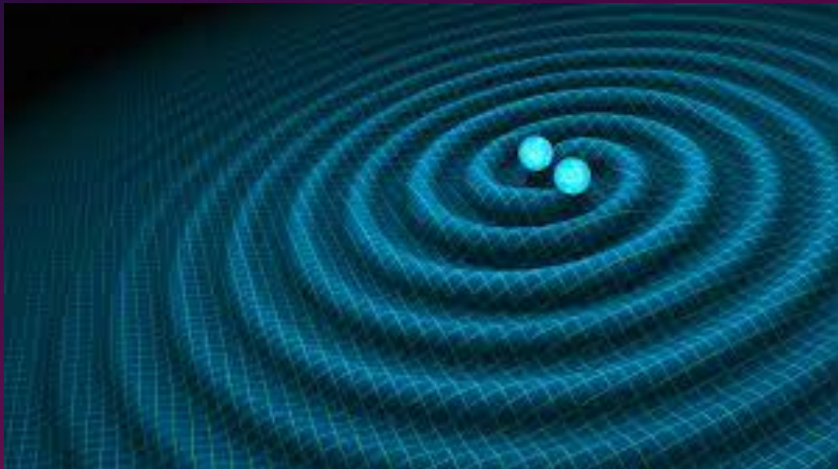


Figure 2. Mass of stellar remnant as a function of the initial mass of the star (near-solar composition). Differences in the assumptions in massive star modelling can cause a variation of up to $20 M_{\odot}$ in the remnant masses between simulations. Choosing to apply one of these simulations over the others in e.g. gravitational-wave event rate predictions can lead to strikingly different results.

up to $20 M_{\odot}$ difference!

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Take away messages

- Eddington limit is a thing :)
- stellar evolution above $40 M_{\odot}$ has
not reached consensus
- use stellar models with extra caution,
be flexible for updates

Thanks!

